College Review Math Section 2-3 & 2-4 Review

Name _____

Name the roots (zeros) for each equation. 1) y = (x - 4)(x + 9)(x + 15) 2) $y = x^3(x - 1)^2(3x - 4)$ 3) $y = 2x^3 - 2x^2 - 12x$ roots: ______ roots: _____ roots: _____ roots: _____ Tell *how many* of each type of root each function contains (single, double, triple). 4) $f(x) = x^2(x - 11)(x - 1)^2(x - 4)^3$ 5) $g(x) = 4x^3 - 12x^2 + 9x$ single: ______ double: ______ double: ______ triple: ______ triple: ______

Use sign analysis to determine if the graph is *above or below* the x-axis for the function at the x-coordinate given. There is no need to sketch the graph, just test the number.

6) y = (x + 7)(x - 11)(x + 2)@ x = 0 _____ @ x = -1 _____ @ x = 5 _____

Sketch the graph for the polynomial equation given. The height of the graph does not need to be accurate.

9) $y = (x-2)(x+3)^3(x+1)$ 10) $y = -x^2(x-5)(x-3)^2$



Sketch the graph for the polynomial equation given. The height of the graph does not need to be accurate.

11) $y = 2x^5 - 8x^3$ (hint: x = 6 is one of the roots)



Write an equation for each polynomial graph.



Determine if each quadratic equation has a maximum or minimum, then find the value of x where it occurs.

17)	$y = -3x^2 - 24x + 7$	18)	$\mathbf{y} = (\mathbf{x} + 5)(\mathbf{x} - 3)$	19)	$y = 5x^2 - 7x - 1$
	max or min:		max or min:		max or min:
	x =		x =		x =

If you have a graphing calculator, find the following values (both x & y-coordinates).

20) $y = x^3 + 2x^2 - 5$

find the local maximum:

21) $y = 10 + 9x - 5x^2 - 2x^3$

find the local minimum:

Solve the word problems. You must write a quadratic equation that represents the information.

22) Gerry Greenthumb plants a giant rectangular garden along the back side of his house. If Gerry uses the house as one side, and 50 feet of fence to pen in the other three sides, what is the width that will give him the maximum area?

23) The sum of two numbers is 34. Which two numbers that satisfy that condition would give you the maximum product? What would the maximum product be?

